

## G A L O R A T H

## Software Size Growth and Uncertainty: Both Affect Estimate Accuracy

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- Measurement objectifies management
- Estimation is a function of progress (continuous process)
- A well-formed estimate is specified as a probability distribution
- Uncertainty
  - Variability
  - Risk
  - Opportunity
- Software size estimates
  - Size growth
  - Size estimation variability



## Software Development and Measurement





**Fundamental Measures** 

Size *Effective Technology Time Effort → Cost, Staffing Defects* 

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## es·ti·mate (es'ti mit), n.

an approximate *judgment* or *calculation*, as of the value or amount of something

a prediction that is equally likely to be above or below the actual result (Tom DeMarco)

## A WELL FORMED ESTIMATE IS A DISTRIBUTION



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# Two Key Drivers of Software Size Estimates

#### • Size Growth

- Change in the baseline estimated software size due to:
  - Change in development and/or operating environment
  - Change in the required functionality
- Technological and Programmatic risk

### • Size Estimation Variability

- Estimation process variability due to:
  - Human behavior
  - Model behavior





#### Operational Environment Volatility

- The mission changes.
- The regulations that govern how this software should behave have changed.

### • Essence (Requirements) Volatility

- The customer doesn't know what he/she wants.
- Essence Understanding (Requirements Completeness and Correctness)
  - The customer doesn't understand the problem.
  - The specifications are vague.
- Essence versus Implementation Correspondence
  - The vendor adds a few extra features (gold plating).



## **Growth Factor Function**

- Yields Growth Factor as a function of normalized earned value
- Based on Galorath Incorporated analysis of historical data
- Embedded in SEER-SEM<sup>™</sup>'s Phase at Estimate parameter

$$G(s) = -0.7s + 0.69$$



- Triangular Distribution per (Book 2002)
- Skew per modified (Tarbet 2002)

# $\mathbf{G}(s) = \begin{bmatrix} L & M & H \end{bmatrix} = \begin{bmatrix} 0 & 0 & \mathbf{G}(s) \end{bmatrix}$



## Size Growth Impact Distribution

- Function of normalized earned value (progress)
- Product of best guess size and growth factor
- Triangular Distribution per (Book 2002) from growth factor
- Skew per (Tarbet 2002) from growth factor

$$\mathbf{S}_{\mathbf{G}}(s) = \mathbf{S}_{\mathbf{M}}(s)\mathbf{G}(s) = \begin{bmatrix} 0 & 0 & \mathbf{S}_{\mathbf{M}}(s)\mathbf{G}(s) \end{bmatrix}$$



## Size Growth Example Calculation

- Assume a best guess size at SRR of 50,000 ESLOC
- Assume normalized earned value of 11.8% at SRR

$$G_{SRR} = G(11.8\%) = -0.7(11.8\%) + 0.69 = 0.61$$
$$S_{G\_SRR} = \begin{bmatrix} 0 & 0 & S_{M\_SRR} (0.61) \end{bmatrix} = \begin{bmatrix} 0 & 0 & 30,500 \end{bmatrix}$$



# Size Growth Example PDF

## PDF

Probability Density versus Software Size





# Size Growth Example CDF

## CDF

Confidence Probability versus Software Size





## **Size Estimation Variability**

- Uncertainty about the translation of essence to implementation
- Error and bias introduced by the estimation process
- Error and bias introduced by the estimation model / relationships
- Error and bias introduced by the people performing the process



# Size Estimation Variability Impact Distribution

- Function of normalized earned value (progress)
- Normal (Gaussian) Distribution per (Book 2002)
- Variance per (Tarbet 2002)

$$\mathbf{S}_{\mathbf{EV}} = \begin{bmatrix} \mu & \sigma \end{bmatrix} = \begin{bmatrix} 0 & \frac{(30\%)S_M}{(2)(2.33)} \end{bmatrix} = \begin{bmatrix} 0 & 3,219 \end{bmatrix}$$



## Size Estimation Variability Example Calculation

• Assume a best guess size at SRR of 50,000 ESLOC

$$\mathbf{S}_{\mathbf{EV}\_\mathbf{SRR}} = \begin{bmatrix} 0 & \frac{(30\%)S_{M\_SRR}}{(2)(2.33)} \end{bmatrix} = \begin{bmatrix} 0 & 3,219 \end{bmatrix}$$



# Size Estimation Variability Example PDF

### PDF

Probability Density versus Software Size





# Size Estimation Example CDF

## CDF

Confidence Probability versus Software Size





# **Combining Size Growth and Size (Estimate) Uncertainty**

- The mean of the sum of a set of random variables is equal to the sum of the means of each random variable in the set
- The standard deviation of the sum of a set of independent random variables is equal to the square root of the sum of the squares of the standard deviations of each random variable in the set

$$E\left(\sum_{i=1}^{n} X_{i}\right) = \sum_{i=1}^{n} E(X_{i})$$
$$V\left(\sum_{i=1}^{n} X_{i}\right) = \sum_{i=1}^{n} V(X_{i})$$



# **Combining Size Growth and Size (Estimate) Uncertainty**

• Sum of the means:

$$\mu_{S_{M}(s)} = S_{M}(s)$$

$$\mu_{S_{G}(s)} = \frac{0 + 0 + S_{M}(s)G(s)}{3} = \frac{S_{M}(s)G(s)}{3}$$

$$\mu_{S_{EV}(s)} = 0$$

$$\therefore \mu_{S(s)} = S_{M}(s) + \frac{S_{M}(s)G(s)}{3} = \frac{S_{M}(s)(G(s) + 3)}{3}$$



# **Combining Size Growth and Size (Estimate) Uncertainty**

• Square root of the sum of the squares of the standard deviations:

$$\sigma_{S_{M}(s)} = 0$$

$$\sigma_{S_{G}(s)} = \sqrt{\frac{L^{2} + M^{2} + H^{2} - LH - LM - MH}{18}} = \sqrt{\frac{\left(S_{M}(s)G(s)\right)^{2}}{18}}$$

$$\sigma_{S_{EV}(s)} = \frac{(30\%)S_{M}(s)}{(2)(2.33)}$$

$$\therefore \sigma_{S(s)} = \sqrt{\frac{\left(S_{M}(s)G(s)\right)^{2}}{18} + \left(\frac{(30\%)S_{M}(s)}{(2)(2.33)}\right)^{2}}$$



**Example Calculation** 

- Assume a best guess size at SRR of 50,000 ESLOC
- Assume a growth factor at SRR of 0.61

$$\mathbf{S}_{SRR} = \begin{bmatrix} \mu & \sigma \end{bmatrix}$$

$$\mathbf{S}_{SRR} = \begin{bmatrix} \frac{S_{M\_SRR} (G_{SRR} + 3)}{3} & \sqrt{\frac{(S_{M\_SRR} G_{SRR})^2}{18}} + \left(\frac{(30\%)S_{M\_SRR}}{(2)(2.33)}\right)^2 \end{bmatrix}$$

$$\mathbf{S}_{SRR} = \begin{bmatrix} \frac{50,000 (0.61+3)}{3} & \sqrt{\frac{((50,000) (0.61))^2}{18}} + \left(\frac{(30\%) (50,000)}{(2)(2.33)}\right)^2 \end{bmatrix}$$

$$\therefore \mathbf{S}_{SRR} = \begin{bmatrix} 60,167 & 7,877 \end{bmatrix}$$



## **Combined PDF**

### PDF

Probability Density versus Software Size





## **Combined CDF**

## CDF

Confidence Probability versus Software Size







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